

 $192 \div 48 = 4$  dozen oranges

21 + 2 = 23

16, 25, 34, 43, 52, 61, 70

14. 7 of them



## AMC 8 (Fall, 2024) Issue 3

23.	$\frac{\frac{3}{4}}{2\times\frac{2}{3}+\frac{3}{4}} =$	$\frac{\frac{3}{4} \times 12}{\left(2 \times \frac{2}{3} + \frac{3}{4}\right) \times 12} =$	$=\frac{9}{16+9}=$	$=\frac{9}{25}=\underline{36\%}$
24.	18  correct + 7  omissions + 0  incorrect			correct

- 19 correct + 3 omissions +  $\frac{3 \text{ incorrect}}{3 \text{ (at most)}}$
- 25. 900
- 26. [2-9]  $[0|2-9] [0|2-9] 8 \times 9 \times 9 = 648$
- 27.  $1 [0|2-9] [0|2-9] 9 \times 9 = 81$ [2-9]  $1 [0|2-9] 8 \times 9 = 72$ [2-9]  $[0|2-9] 1 8 \times 9 = 72$  $81 + 2 \times 72 = 225$
- 28.  $1 \ 1 \ [0 \ | 2-9] 9$  $1 \ [0 \ | 2-9] 1 9$ [2-9] 1 1 89 + 9 + 8 = 26
- 29. 1 only (111)
- $30. \ 900 = 648 + 225 + 26 + 1$
- 31. 2024, 2042, 2204, 2240, 4024, 4042, 4204, 4240 42 - 24 = <u>18</u>
- 32. 4024 2240 = 1784

2024	
2042	18
2204	162
2240	36
4024	1784
4042	18
4204	162
4240	36
Total	2216



- 34. True  $276 + 9 \times 4 \equiv 16 + 36 \equiv 52 \equiv 0 \pmod{13}$ 35. A = 1 or 2Case: 17B  $17 \equiv 4 \pmod{13}$  $4B + 17 \equiv 4B + 4 \equiv 4(B + 1) \equiv 0 \pmod{13}$  $B + 1 \equiv 0 \pmod{13}$ B = 12 (bad for not a single digit) Case: 27B  $27 \equiv 1 \pmod{13}$  $27 + 4B \equiv 1 + 4B \equiv 0 \pmod{13}$ B = 3  $273 \div 13 = \underline{21} \Leftarrow answer$ 36. 2 37. 6 38. 4 39. 6
- 40. 12
- 41. 32 22 = 10

